Lesson 3.1: The Tangent Ratio

Specific Outcome: 4.1 – Explain the relationships between similar right triangles and the definitions of the primary trigonometric ratios. 4.2 – Identify the hypotenuse of a right triangle and the opposite and adjacent sides for a give acute angle in the triangle. 4.4 – Solve a problem that involves one or more right triangles by applying the primary tri ratios or the Pythagorean theorem.



- We reduce it to $\tan A = \frac{o}{a}$
- The tangent ratio is expressed as a ratio or as a decimal.

Determine tan D as a ratio and a decimal. Solution: 1. Label the sides according to $\angle D$

2. Use the *tan ratio* given above:



Determine tan F as a ratio and decimal. Solution: 1. Label the sides according to $\angle F$



blution: 1. Label the sides according to ∠ F
2. Use the *tan ratio*:

Practice: Determine the *tangent* ratio of the following. Express the answers as a ratio.a) *tan A*b) *tan B*c) *tan B*







USING TAN RATIO TO DETERMINE AN ANGLE'S MEASURE

• The tan^{-1} button on your calculator will be used *(inverse tan)* Determine the measure of $\angle G$ to the nearest degree.



Practice:

1. Determine the measure of each angle to the nearest degree.





b) ∠Z

c) ∠F



2. To the nearest degree, determine the measure of $\angle X$ for each value of tan X. a) tan X = 0.44b) $tan X = \frac{11}{6}$

Problem Solving:

- 1. A 10 ft. ladder leans against the side of a building with its base 6 ft. from the wall. What angle, to the nearest degree, does the ladder make with the ground?
- 2. A rectangle has dimensions 3 cm by 8 cm. What angles does a diagonal line of the rectangle make with the sides of the rectangle? Give measures to nearest tenth of a degree.